

Q5: The 4 conditions are:

1. $\int_A^B \vec{F} d\vec{r}$ does not depend on trajectory.

2. $\oint_A^B \vec{F} d\vec{r} = 0$

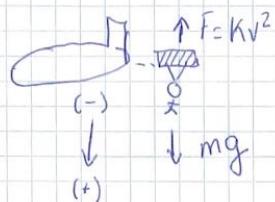
3. $\vec{v} \times \vec{F} = 0$

4. \exists an scalar function (U_p) (potential energy) such as $\vec{F} = -\nabla U_p$

The field is conservative

The most convenient method is checking if the total work done by the field on a particle that performs a displacement in a closed path is zero.

Q4. First we are going to write the diagram.



Newton's second law:

$$\sum \vec{F} = m\vec{a}$$

$$x \text{ axis: } mg - Kv^2 = ma$$

$$a = \frac{dv}{dt} \rightarrow mg - Kv^2 = m \frac{dv}{dt} \quad \text{At this point:}$$

$$dt = \frac{m}{mg - Kv^2} dv$$

In the case we want to integrate it:

$$\int_0^t dt = \int_{v=v_0=0}^v \frac{m}{mg - Kv^2} dv$$

Q3: The static friction coefficient.

Since there is no slippage, the contact point of the wheel has $v = 0$, this is the reason we take the static coefficient and not the dynamic.

Because the coefficient static coefficient is greater than the dynamic, the ABS function is to not completely block the wheels to keep the coefficient acting and reduce the stopping distance.

Q2: The potential energy ^{increases} decreases because it depends on the distance since in the formula;

$$\Delta V = -\frac{GM}{r_B} + \frac{GM}{r_A}$$

$V = -\frac{GM}{R}$ the distance is in the denominator, the greater the distance the lower the energy.

The system doesn't tend to this state because masses always attract.

Q1: The force is stronger in A because, since the 2 points are on the same equipotential curves, they have the same potential, so, by $F = -\nabla V$, as the gradient is greater in A, the force is greater in A